

Fig. 1A (Prior Art)

1/8

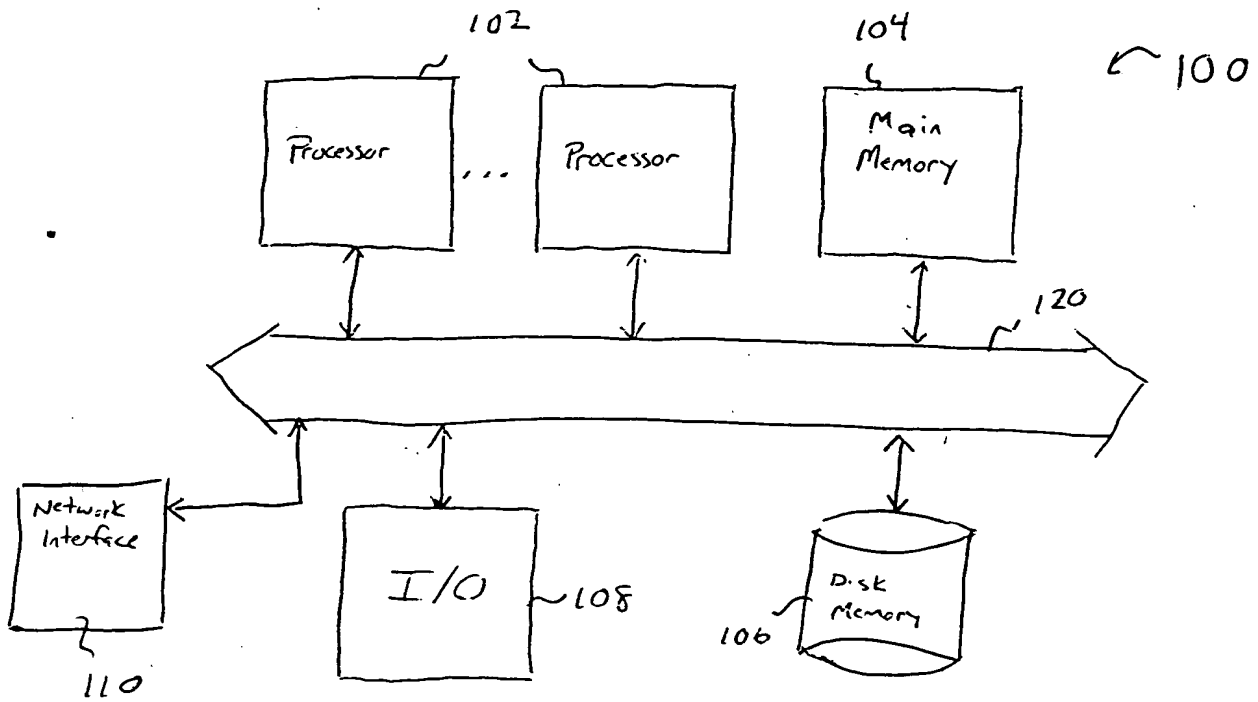
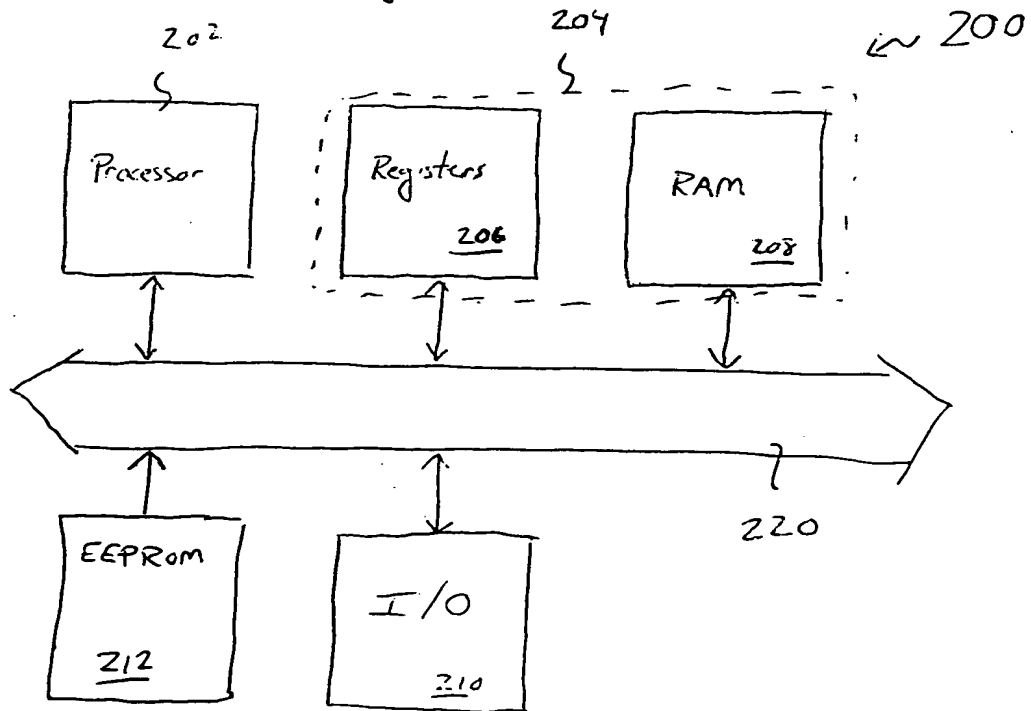


Fig. 2 (Prior Art)



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Fig. 1B (Prior Art)

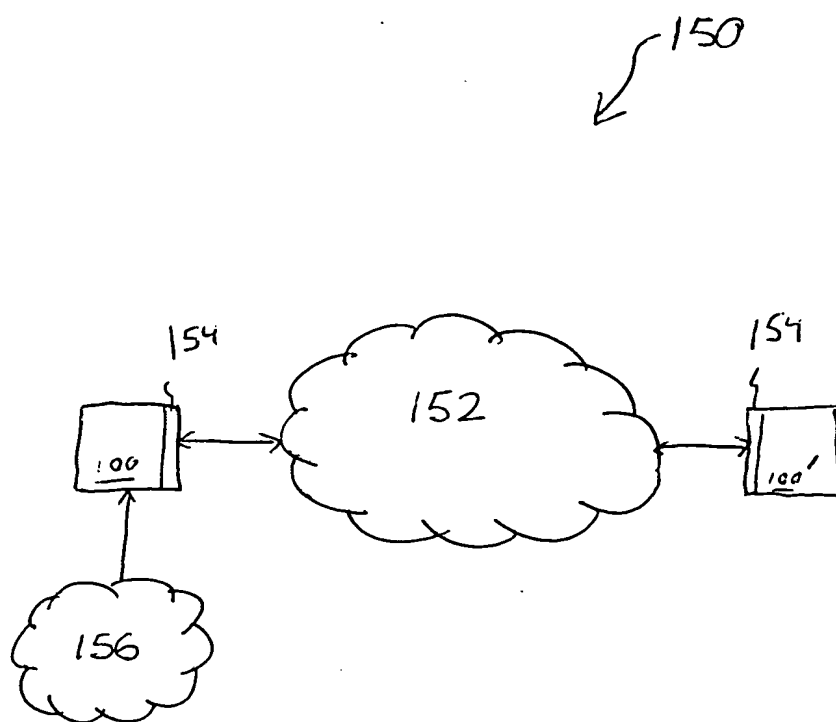


Fig. 3

Step

Party i

Party j

(1)

Party i's cryptography device generates a correct signature  $E$  for message  $m$  and transmits  $E$  to party j's cryptography device.

Party j's cryptography device receives  $E$  and stores it in memory.

(2)

Party i's cryptography device generates incorrect signature  $\hat{E}$  for the same message  $m$  and transmits  $\hat{E}$  to party j's cryptography device.

Party j's cryptography device receives  $\hat{E}$  and stores it in memory.

(3)

Party j's cryptography device determines  $a(E_1 - \hat{E}_1)$ ;  $\gcd(E - \hat{E}, N) = q$ .

(4)

Having determined  $q$ , party j's cryptography device determines  $N$ .

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Fig. 4



Party *i*

Party  $j$ 

- (1)

Party  $i$ 's cryptography device generates erroneous signature  $\hat{E}$  for known message  $m$  (i.e., message  $m$  is generated without padding or with non-random padding) and transmits  $\hat{E}$  to party  $j$ 's cryptography device.

- (2)

Party j's cryptography  
device receives  $\hat{E}$ .

- (3)

Party  $j$ 's cryptography  
device determines  
 $\gcd(M - \hat{E}^{ei}, N) = q$ .

Having determined  $q$ , party  $j$ 's cryptography device determines  $N$ .

[illegible]

Step

Party  $j$ 

- (1)

Party  $j$ 's cryptography device observes the value  $r^2 \bmod N$ .

- (2)

Party  $j$ 's cryptography device generates a random subset  $S \subseteq \{1, \dots, t\}$  and transmits  $S$  to party  $i$ 's cryptography device.

- (3)

Party  $j$ 's device receives  $\hat{y}$ .

- (4)

Party  $j$ 's device  
determines  $\hat{E}$  by finding  
an  $\hat{E}$  satisfying

$$\frac{(r+E)^2}{\prod_{i \in S} v_i} \pmod{N}$$

- (5)

This is possible because  $E = 2^k$  for some  $1 \leq k \leq n$

Party j's  
device may determine r  
using:



Fig. 6B (Prior Art)

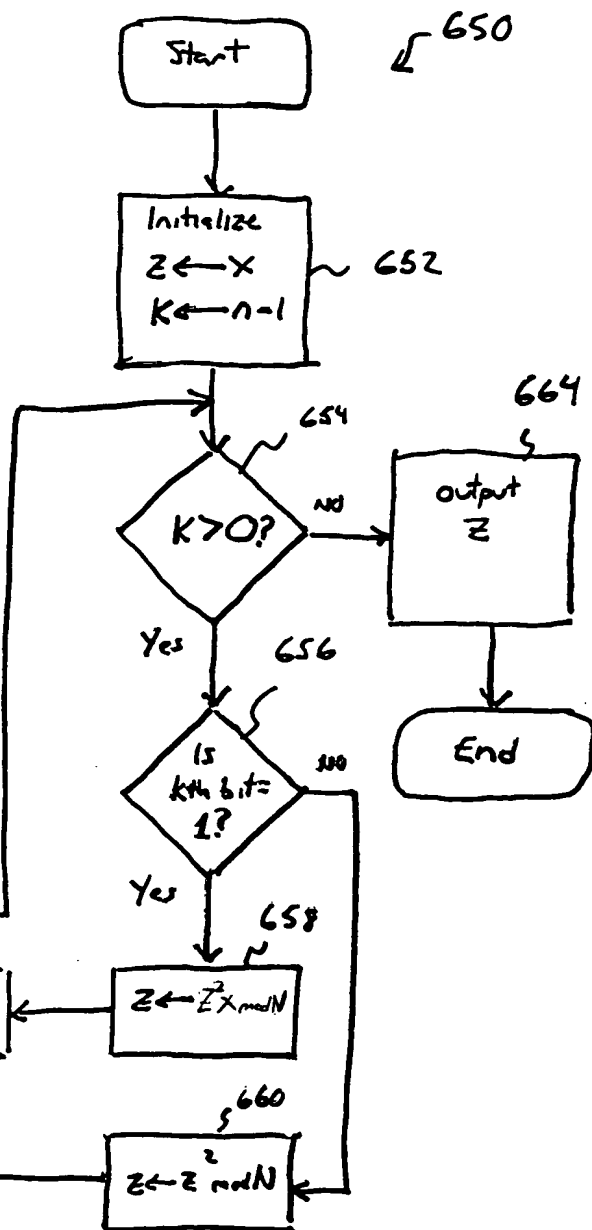
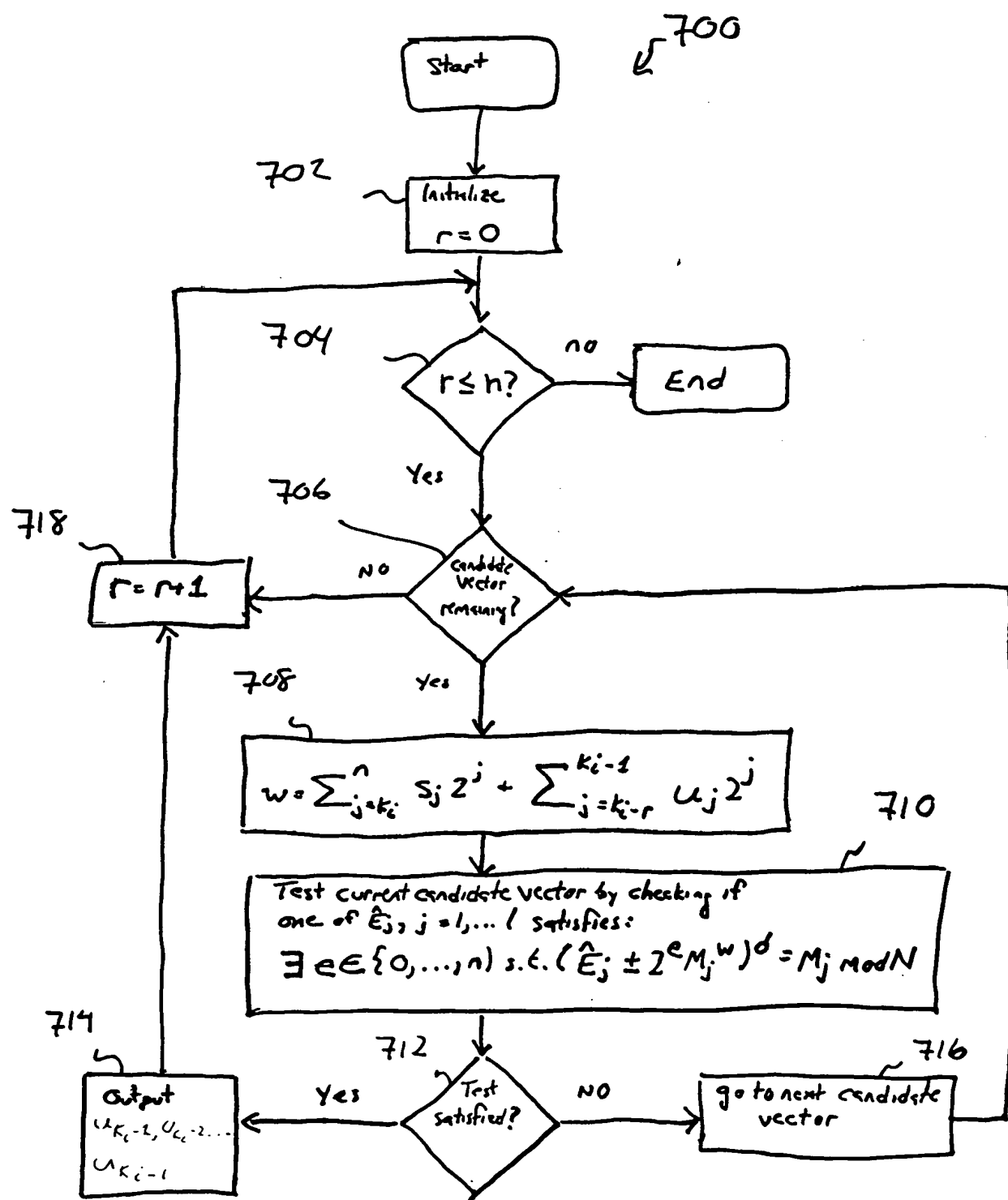


Fig. 7



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